

TITLE – SESSION2

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Agenda



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- Mesh convergence
- Divergence schemes
- Hands on: Grid convergence vs divergence scheme for the case of laminar flow in 2D U-bend

Mesh convergence

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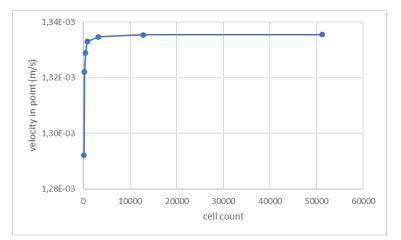
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• Let's play...

2D, laminar, isothermal, steady state, Re=700, domain 0.7m×7m



- Velocity in a point (x=0.35m, y=6.5m) of converged vs mesh density
- All quadrilateral cell sqewness=1, AR=5, GR=1



• Results of the simulation should always be mesh independent!

Mesh convergence

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Simplified Richardson extrapolation

- Is a procedure to evaluate mesh independance
- Perform the same simulation on three meshes with mesh density ratio of 1:2:4
- Export the value of a variable in a point for all three simulations (say f)
- $f_1 = value \text{ on } fine \text{ mesh}, f_2 = value \text{ on } middle \text{ mesh}, f_3 = value \text{ on } coarse \text{ mesh}$
- Define factor of refinement r=2
- Compute rank of discretization $p = \ln((f_3-f_2)/(f_2-f_1))/\ln(r)$
- Compute extrapolated value $f_{ex} = \frac{f_1 (f_2 f_1)}{r^p 1}$
- Compute $RDE_z = \frac{f_z f_{ex}}{f_{ex}}$

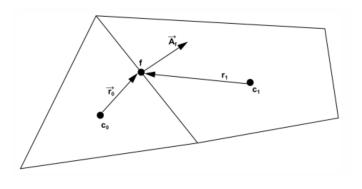
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Divergence schemes

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- Remember 2nd session of yesterdays program
 - We limit or self to the convection term

$$\int_{V} \frac{\partial \rho \varphi}{\partial t} dV + \oint \rho \varphi \vec{v} \cdot d\vec{A} = \oint \Gamma_{\varphi} \nabla \varphi \cdot d\vec{A} + \int_{V} S_{\varphi} dV$$
$$\frac{\partial \rho \varphi}{\partial t} V + \sum_{f}^{N_{faces}} \rho_{f} \vec{v}_{f} \varphi_{f} \cdot \vec{A}_{f} = \sum_{f}^{N_{faces}} \Gamma_{\varphi} \nabla \varphi_{f} \cdot \vec{A}_{f} + S_{\varphi} V$$



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Hands on: U-bend



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- Use meshes similar to the one from Session1
- Prepare and execute the simulations for given case on all meshes for FOU and SOU
- Compare the results



Thank you for your attention!

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